## EYFS Addition

Maths for young children should be meaningful. Where possible, concepts should be taught in the context of real life.

| Guidance/ Models and Images |
| :---: |
| If available, Numicon shape <br> - Identify 1 more/less <br> - Combine pieces to add <br> - Find number bonds <br> - Add without counting |

Children can record this by printing or drawing around Numicon pieces.

Children begin to combine groups of objects using concrete apparatus


Construct number sentences verbally or using cards to go with practical activities.
Children are encouraged to read number sentences aloud in different ways "Three add two equals 5 " 5 is equal to three and two" Children make a record in pictures, words or symbols of addition activities already carried out.

Solve simple problems using fingers


Number tracks can be introduced to count up on ad to find one more
1 $\qquad$
What is 1 more than 4? 1 more than 13?

Number lines can then be used alongside number tracks and practical apparatus to solve addition calculations and word problems.
$5+3=8$


Children will need opportunities to look at and talk about the different models and images as they move between representations.

## ADDITION

|  | Mental strategies | Written methods | Vocabulary | Models, Images and resources |
| :---: | :---: | :---: | :---: | :---: |
| Year 1 | Add a pair of single-digit numbers, including crossing 10, e.g. $5+8$ <br> Add one-digit number to a teens number, e.g. $13+5$ <br> Add one-digit to 10 , and a multiple of 10 to a one-digit number, e.g. $10+7,7+30$ <br> Add one-digit and two-digit numbers to $20(9+9,18-9)$, including zero <br> Add near doubles, e.g. $6+7$ <br> Represent and use number bonds to 20 <br> (and 2,3,4,5,6,7,8,9,11,12,13,14,15,16,17,18,19) | Solve simple one-step problems that involve addition using concrete objects and pictorial representations, and missing number problems. Explain methods \& reasoning <br> Use the 100 square to add 10 to a single digit number <br> Record addition by: <br> - showing jumps on prepared number lines <br> - recording number sentences $\text { eg } 6+5=11$  <br> Read, write and interpret mathematical statements involving addition (+) and equals (=) signs | Add <br> Total <br> More <br> Tens <br> Ones | 100 square <br> Number lines <br> Number tracks <br> Bead strings ( for children ) <br> Bead bar <br> Tens Frame <br> Numicon <br> Straws |


| Year 2 | Add numbers using concrete objects, pictorial representations, and mentally, including: <br> - add a single-digit number to a two-digit number, including crossing the tens boundary, e.g. $23+5$,, then $28+5$ <br> - add a multiple of 10 to any two-digit number, e.g. $27+60$ <br> - add two two-digit numbers <br> - adding three one-digit numbers <br> - add $9,19,29$, ... or $11,21,31, \ldots$ <br> - add near doubles, e.g. $13+14,39+40$ <br> Recall number bonds to 20 fluently and derive and use related facts to 100 <br> Show that addition of two numbers can be done in any order (commutative) and subtraction of one number from another cannot | Count or add in multiples of 10 using 100 square or number line <br> Add 9 or 11 by adding 10 and adjusting by <br> Add by using partitioning of tens and ones <br> Solve simple one-step problems with addition: using concrete objects and pictorial representations, involving numbers, quantities and measures <br> Recognise and use the inverse relationship between addition and subtraction to check calculations and missing number problems. Check by adding numbers in a different order eg. $5+2+1=1+5+2=1+$ $2+5$. <br> Begin recording addition in columns to support place value and prepare for efficient written methods. | Add <br> Sum <br> More than <br> Total <br> Altogether <br> Plus <br> Partition <br> into tens <br> and ones | 100 square <br> Number lines <br> Partly marked number lines <br> Number tracks <br> Bead strings <br> Arrow cards <br> Dienes apparatus <br> Numicon |
| :---: | :---: | :---: | :---: | :---: |
| Year 3 | Use number bonds to 20 and links to bonds of multiples of 10 to 100 , complements to 100 e.g. $45+55=100$ <br> Practise solving varied addition questions mentally with two-digit numbers, the answers could exceed 100. <br> Add numbers mentally, including: <br> - a three-digit number and ones <br> - a three-digit number and tens | Add numbers with up to three digits, using the efficient written methods. Use understanding of place value and partitioning. <br> Estimate the answer to a calculation and use inverse operations to check <br> Solve problems, including missing number problems, using number facts, place value, and more complex addition. | Partition <br> Tens, ones, digit <br> Empty number line <br> Count on | Arrow cards <br> 100 square <br> Dienes apparatus <br> Numicon |


|  | - a three-digit number and hundreds <br> Partition numbers in different ways <br> Eg: $62=60+2,50+12,40+22$ etc | Add by using partitioning TU + TU, HTU + TU or HTU + HTU $\begin{aligned} 67+24 & =60+20+7+4 \\ & =80+11 \\ & =91 \end{aligned}$ <br> Expanded columnar addition $\begin{array}{rr} 47 & \\ +24 & \\ \hline 11 \quad 7+4 \\ \underline{60} 40+20 \\ \hline 71 & \\ \hline \end{array}$ <br> Compact columnar addition $\begin{array}{rr} 32 \\ + & \begin{array}{r} 29 \\ 96 \end{array} \\ \hline 76 \\ \hline \end{array} \quad 1 \begin{aligned} & 75 \\ & \hline \end{aligned}$ | Carry ten |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 4 | Practise mental methods with increasingly large numbers to aid fluency <br> Add any pair of two-digit numbers, including crossing the tens and 100 boundary, e.g. $47+58$ <br> add a near multiple of 10 , e.g. $56+29$ <br> Add near doubles of two-digit numbers, e.g. $38+37$ | Compact columnar addition <br> Add numbers with up to 4 digits using the efficient written column method <br> Practise with increasingly large numbers to aid fluency. | Partition <br> Place value <br> Carry 10, <br> carry 100 <br> Two digit, | Arrow cards <br> Dienes apparatus |


|  | Understand addition as inverse of subtraction | 372 357 1306 <br> $+\quad 74$   <br>  $+\frac{145}{446}$ +722 <br> 1 $\underline{1} 12028$  <br> Estimate and use inverse operations to check answers <br> Solve addition two-step problems in contexts, deciding which operations and methods to use and why. Include problems involving decimals in money or measures eg. $6.3 \mathrm{~m}+3.7 \mathrm{~m}=10 \mathrm{~m}$ | three digit <br> Crossing tens boundary <br> Inverse |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 5 | Add numbers mentally with increasingly large numbers to aid fluency e.g. $12462+2300=14762$ <br> Use rounding to check answers and determine, levels of accuracy <br> Add a pair of two or three-digit multiples of 10, e.g. $30+$ $80,35+36$ and $350+360$ <br> Add a near multiple of 10 or 100 to any two-digit or threedigit number, e.g. $235+198$ <br> Add pairs of decimal fractions each with units and tenths, e.g. $5.7+2.5,6.3+4.8$ | Add whole numbers with more than 4 digits and increasingly large numbers using efficient column written methods to aid fluency <br> Solve multi-step problems in contexts, deciding which operations and methods to use and why. | Decimal point <br> Carry one, carry 10, carry 100 |  |
| Year 6 | Calculate mentally with increasingly large numbers and more complex calculations. Addition facts for multiples of 10 to 1000 and decimal numbers with one decimal place, | Practise addition for larger numbers, using the efficient written methods of columnar addition. |  |  |

EYFS Subtraction
Maths for young children should be meaningful. Where possible, concepts should be taught in the context of real life.

| Guidance/ Models and Images | Key Vocabulary |
| :---: | :---: |
| Children begin with mostly pictorial representations $\mathrm{XXX} \quad \mathrm{XX}$ <br> Concrete apparatus is used to relate subtraction to taking away and counting how many objects are left. <br> Concrete apparatus models the subtraction of 2 objects from a set of 5 . <br> Construct number sentences verbally or using cards to go with practical activities. <br> Children are encouraged to read number sentences aloud in different ways "five subtract one leaves four" "four is equal to five subtract one" <br> Children make a record in pictures, words or symbols of subtraction activities carried out. <br> Solve simple problems using fingers | Games and songs can be a useful way to begin using vocabulary involved in subtraction e.g. <br> - Five Little men in a flying saucer <br> - Take (away) <br> - Leave <br> - How many are left/left over? <br> - How many have gone? <br> - One less, two less ... ten less... <br> - How many fewer is ... than ...? |



## SUBTRACTION

|  | Mental strategies | Written methods | Vocabulary | Models, Images and resources |
| :---: | :---: | :---: | :---: | :---: |
| Year 1 | Subtract a pair of numbers, including crossing 10, e.g. 15 8 <br> Subtract a single-digit number <br> from a teens number e.g. 13-5 <br> from 10, beginning to subtract a multiple of 10 from a two-digit number, e.g. 10-7, 67-30 <br> Subtract one-digit and two-digit numbers to $20(9+9,18$ 9 ), including zero <br> Represent and use number bonds to 20 | Count back orally or use a marked or partly marked number line to find the difference by counting on in ones <br> 9-4 = 5 ( counting back) <br> and when secure <br> Solve simple one-step problems and missing number problems involving subtraction using practical equipment, concrete objects and pictorial representations, Explain methods \& reasoning | Count back <br> Count on <br> Less than <br> Difference <br> Take away <br> subtract | 100 square <br> Number lines <br> Number tracks <br> Bead strings <br> Numicon |


|  | (and 2,3,4,5,6,7,8,9,11,12,13,14,15,16,17,18,19) | Read, write and interpret mathematical statements involving subtraction (-) and equals (=) signs |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 2 | Subtract numbers using concrete objects, pictorial representations, and mentally, including: <br> - subtract a single-digit number from a two-digit number, including crossing tens boundary, e.g. 26-5, then 22-5 <br> - subtract a multiple of 10 from any two-digit number, e.g. 67-20 <br> - subtract two two-digit numbers <br> - subtract $9,19,29, \ldots$ or $11,21,31 \ldots$ <br> Recall number bonds to 20 fluently and derive and use related facts to 100 ( and $11,12,13,14,15,16,17,18,19$ ) <br> Show that addition of two numbers can be done in any order (commutative) and subtraction of one number from another cannot | Understand when it is sensible to count back (take away) and when to count on (find the difference) <br> Use empty number lines to bridge through multiple of 10 <br> Subtract by using partitioning of TU - TU <br> Solve simple one-step problems involving numbers, quantities and measures using concrete objects and pictorial representations, <br> Recognise and use the inverse relationship between addition and subtraction to check calculations and missing number problems. <br> Begin recording subtraction in columns to support understanding of place value and prepare for efficient written methods. | Count back <br> Count on <br> Subtract <br> take away <br> Less than <br> Minus <br> Decrease <br> Difference | 100 square <br> Number lines <br> Partly marked number lines <br> Number tracks <br> Bead strings <br> Arrow cards <br> Dienes apparatus <br> Numicon |
| Year 3 | Recall number bonds to 20 and links to bonds of multiples of 10 to 100 , complements to 100 e.g. $100-55=45$ <br> Practise solving varied subtraction questions mentally with two-digit numbers, the answers could exceed 100. | Solve problems, including missing number problems, using number facts, place value, and more complex subtraction <br> Subtract with up to three digits, using the efficient written methods of columnar subtraction. Use understanding of place value and partitioning | Subtraction <br> Partition <br> Tens, ones, digit | Partly marked number lines <br> Empty number line <br> Arrow card |



|  |  | $30+2=32$ <br> Compact columnar subtraction (no exchange) <br> 86 <br> - 64 |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 4 | Practise mental methods with increasingly large numbers to aid fluency <br> Subtract any pair of two-digit numbers, including crossing the 10 and 100 boundary, e.g. 58-23 <br> Count on and back in 10 's from any number <br> ubtract a near multiple of 10, e.g. 56-29 <br> Understand subtraction as inverse of addition | Subtract numbers with up to 4 digits using efficient written column method with increasingly large numbers to aid fluency. <br> Estimate and use inverse operations to check answers <br> Solve subtraction of two-step problems in contexts, deciding which operations and methods to use and why. <br> Expand columnar subtraction <br> $74-27$ is $60+14$ <br> - $\frac{20+7}{40+7}=47$ <br> Compact columnar subtraction with decomposition (or Expanded method as in Year 3) <br> $6 \quad 14$ <br> 74 <br> - 27 | Partition <br> Place value <br> Two digit, three digit <br> Crossing tens boundary <br> Inverse <br> Exchange a <br> 10 for ten ones | Dienes apparatus |


|  |  | 47 |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 5 | Subtract numbers with increasingly large numbers to aid fluency e.g. 12 462-2 300=10 162 <br> Use rounding to check answers and determine, levels of accuracy <br> Subtract a pair of two or three-digit multiples of 10, e.g. 80-30, 45-36 and 450-360 <br> Subtract a near multiple of 10 or 100 from any two-digit or three-digit number, e.g. 235-199 <br> subtract pairs of decimal fractions each with ones and tenths, e.g. 5.7-2.5, 6.3-4.8 | Subtract whole numbers with more than 4 digits and increasingly large numbers using efficient column written methods with decomposition to aid fluency e.g. $754-86$ <br> 6414 <br> 754 <br> With decimals in the context of money or measures <br> e.g $£ 21.31$ - $£ 18.06$ <br> 12 <br> 216.311 <br> $-18.06$ $\qquad$ <br> Solve multi-step problems in contexts, deciding which operations and methods to use and why. | Decimal <br> point <br> Exchange a <br> 10 for 10 <br> ones, <br> exchange a <br> 100 for ten <br> 10's |  |
| Year 6 | Calculate mentally with increasingly large numbers and more complex calculations. <br> Use subtraction facts for multiples of 10 to 1000 and | Practise subtraction for larger numbers, using the efficient written methods of columnar subtraction. |  |  |


|  | decimal numbers with one decimal place, e.g. $650-$ 团 $=$ <br> 930, 团 $-1.4=2.5$ |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |

## EYFS Multiplication

Maths for young children should be meaningful. Where possible, concepts should be taught in the context for life.

| Guidance / Models and Images | Key Vocabulary |
| :---: | :---: |
| The link between addition and multiplication should be introduced though doubling. <br> If available, Numicon is used to visualise the repeated adding of the same number. <br> These can then be drawn around or printed as a way of recording. <br> Children begin with mostly pictorial representations: <br> How many groups of 2 are there? <br> Real life contexts and use of practical equipment to count in repeated groups of the same size: <br> How many wheels are there although? <br> How much money do I have? <br> Count in twos; fives; tens both aloud and with objects. <br> Children are given multiplication problems set in a real life context. Children are encouraged to visualise the problem. How many fingers on two hands? How many sides on three triangles? How many legs on four ducks? <br> Children are encouraged to read number sentences aloud in different ways "five times two makes ten" "ten Is equal to five multiplied by two" | Lots of <br> Groups of <br> Times <br> Multiply <br> Multiplied by <br> Multiply of <br> Once, twice, three times ... ten times... <br> ...times as ( big, long, wide ... and so on) <br> Repeated addition <br> Double |

## MULTIPLICATION

|  | Mental strategies | Written methods | Vocabulary | Models, Images and resources |
| :---: | :---: | :---: | :---: | :---: |
| Year 1 | Count on from and back to zero in ones, twos, fives or tens <br> Make connections between arrays, number patterns, and counting in twos, fives and tens. | Solve simple one-step problems calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher. Understanding multiplication as an array: <br> Practical problem solving activities involving equal sets or groups. Through grouping small quantities, pupils should begin to understand multiplication; doubling numbers and quantities. | Sets <br> Groups, pairs | 100 square <br> Number lines <br> Number tracks <br> Bead strings <br> Numicon |
| Year 2 | Practise to become fluent in recall and use of multiplication facts for the 2,5 and 10 multiplication tables, (connect the 10x table to place value, and the $5 x$ table to the divisions on the clock face) <br> Double any multiple of 5 up to 50 , eg. double 35 <br> Find the total number of objects when they are organised into groups of 2,5 or 10 Recognise odd and even numbers <br> Show that multiplication of two numbers can be done in any order (commutative) and division of one number by another cannot Introduce the symbol for multiplication | Calculate mathematical statements and write them using the multiplication ( $\times$ ) and equals ( $=$ ) signs <br> Solve one-step x problems using materials, arrays, repeated addition and x facts, include problems in contexts. <br> Understand multiplication as repeated addition <br> There are 5 pencils in one packet. <br> How many pencils in 4 packets? $5+5+5+5 \quad 4 \text { lots of } 5 \text { or } 5 \times 4$ <br> On a number line: <br> and on a bead bar: <br> $5 \times 3=5+5+5$ <br> Understand x as an Array (of objects) | lots of groups of multiply symbol $x$ times repeated addition times as big ...as wide ...as long | 100 square <br> Number lines <br> Partly numbered lines <br> Bead strings <br> Numicon |
| - didid <br>  <br> 14 <br>  |  |  |  |  |

\begin{tabular}{|c|c|c|c|c|}
\hline \& \& \begin{tabular}{l}
\[
5 \times 4=20
\]
\[
4 \times 5=20
\] \\
Begin to use other \(x\) tables and recall facts in written calculation Recognise and use the inverse relationship between multiplication and division in checking calculations.
\end{tabular} \& \& \\
\hline Year 3 \& \begin{tabular}{l}
Recall and use multiplication facts for the 4,8 and 3 multiplication tables Practise mental recall of \(x\) tables to improve fluency. Use doubling to connect the 2,4 and 8 x tables. \\
Use \(x\) facts to derive related facts and write mathematical statements e.g. using \(3 \times 2=6\) to derive \(30 \times 2=60\) \\
Develop efficient mental methods using commutativity e.g. \(4 \times 12 \times 5=4 \times 5 \times 12=20 \times 12=\) 240) \\
Double any two-digit number, e.g. double 39 and any multiple of 5,10 or 100 , e.g. double 340 , double 800 , \\
Multiply one-digit or two-digit numbers by 10 or 100 and understand the effect e.g. \(7 \times 100,46 \times 10,54 \times\) 100
\end{tabular} \& \begin{tabular}{l}
Solve problems in context decide which operation to use and why, including \\
- missing number problems \\
- integer scaling problems eg double or treble 50 p or \(5 \times 60 \mathrm{~cm}\) \\
- correspondence problems in which \(m\) objects are connected to \(n\) objects eg finding all possibilities ‘ 3 hats and 4 coats, how many different outfits?' \\
Understand multiplication represented as an Array

$$
5 \times 3=15
$$

$$
3 \times 5=15
$$ <br>

Develop reliable methods for TU X U progressing to efficient short multiplication

$$
\begin{array}{r}
26 \\
\times \quad 4 \\
104
\end{array}
$$

 \& 

Multiply <br>
Partition <br>
Tens, ones, digit <br>
Empty number line

 \& 

Partly marked number lines <br>
Empty number line <br>
Arrow card <br>
100 square <br>
Dienes apparatus <br>
Bead Strings
\end{tabular} <br>

\hline
\end{tabular}



| Year 5 | Multiply TU X U mentally using known facts for all multiplication tables to $12 \times 12$ numbers <br> Identify multiples and factors, including finding all factor pairs for numbers to 100, e.g. 30 has the factor pairs $1 \times 30,2 \times 15,3 \times 10$ and $5 \times 6$ <br> Establish whether a number up to 100 is prime and recall prime numbers up to 19 <br> Recognise and use square and cube numbers, and notation for squared ${ }^{2}$ and cubed ${ }^{3}$ <br> Multiply by 25 or 50 , e.g. $48 \times 25,32 \times 50$ <br> Multiply whole numbers decimals by 10, 100 and 1000 e.g. $4.3 \times 10,0.75 \times 100$ <br> Multiply pairs of multiples of 10 , e.g. $60 \times 30$, and a multiple of 100 by a single digit number, e.g. $900 \times 8$ <br> Find $50 \%, 25 \%$ or $10 \%$ of whole numbers or quantities, e.g. $25 \%$ of $20 \mathrm{~kg}, 10 \%$ of $£ 80$ | Solve problems including understanding the meaning of the equals sign e.g. $34 x=28 \square$ cluding scaling by simple fractions <br> Use multiplication and division as inverses to support the introduction of ratio e.g if there are 6 blue beads for every 10 red beads, calculate number of blue beads for 348 red bead <br> Multiply up to 4 digits by a one- or two-digit number <br> Short multiplication <br> Long multiplication for two-digit numbers $\begin{array}{rr} 56 & \\ \times \begin{array}{rl} 27 \\ 1000 & 50 \times 20 \end{array} & 1000 \\ 120 & 6 \times 20=120 \\ 350 & 50 \times 7=350 \\ \frac{42}{1512} & 6 \times 7= \\ \hline 1 & \end{array}$ | Partition <br> Product <br> multiple <br> Multiply <br> Add <br> total factor <br> prime <br> square and <br> cube <br> numbers. |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 6 | Multiply two-digit decimals such as $0.8 \times 7$ and pairs of multiples of 10 and 100 , e.g. $50 \times 30,600 \times 20$ <br> Double decimals with units and tenths, e.g. double 7.6 | Use efficient written method confidently, reducing the recording further and extending to larger numbers | Multiply <br> Carry ten |  |



## EYFS Division and Fractions

Maths for young children should be meaningful. Where possible, concepts should be taught in the context of real life.

| Guidance/ Models and Images | Key Vocabulary |  |
| :--- | :--- | :--- |
| The ELG states that children solve problems, including doubling, halving and sharing. | Halve |  |
| Children need to see and hear representations of division as both grouping and sharing. | Share, share equally <br> Division can be introduced through halving. | One each, two each, three each .... <br> Group im pairs, threes... |


|  | Divide <br> Divided by <br> Divided into <br> Left, left over |
| :--- | :--- | :--- | :--- |

## Fractions



| DIVISION |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Mental strategies | Written methods | Vocabulary | Models, Images and resources |
| Year 1 | Share objects into equal groups and count how many in each group and consider 'left over'. <br> count on from and back to zero in ones, twos, fives or | Practical problem solving activities involving equal sets or groups. Begin to understand division through grouping and sharing and halving small quantities <br> Can you cut the cake in half? | Share <br> Sharing <br> grouping | Practical equipment <br> Arrays |


|  | tens <br> Make connections between arrays, number patterns, and counting in twos, fives and tens. <br> Introduce the symbol for division $\div$ | How many pieces are there? <br> How many cakes are there in the box? Take half of them out. <br> Solve simple one-step problems using concrete objects, pictorial representations and finding simple fractions of objects, numbers and quantities. with the support of the teacher | Equal groups <br> Left over <br> Half <br> halving | beadstrings |
| :---: | :---: | :---: | :---: | :---: |
| Year 2 | Practise to become fluent in recall and use of multiplication and division facts for the 2,5 and 10 multiplication tables, <br> Halve any multiple of 10 up to 100 , e.g. halve 90 find half of even numbers to 40 <br> Show that multiplication of two numbers can be done in any order (commutative) and division of one number by another cannot | Calculate mathematical statements and write using division ( $\div$ ) and equals (=) signs <br> Solve one-step problems iusing materials, arrays, repeated subtraction and division facts, including problems in contexts. <br> Understand as sharing equally <br> 6 sweets are shared equally between 2 people. How many sweets does each one get? <br> Understand as grouping (repeated subtraction). <br> There are 15 apples in a box. <br> How many bags of 5 apples can be filled? <br> How many groups of 5 can you make from 15? <br> Model repeated subtraction using a number line $24 \div 4=6$ | Divide <br> Share equally, one each, two each..., Grouping equal groups, how many lots of, groups of... | Practical equipment |


|  |  | 0 4 8 12 16 20 24 <br> Begin to use other x tables and division facts to perform written calculation. <br> Relate to fractions and measures eg. $40 \div 2=20,20$ is a half of 40 <br> Check calculations using the inverse relationship between x and $\div$ |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 3 | Halve any multiple of 10 up to 200, e.g. halve 170 <br> Find unit fractions of numbers and quantities involving halves, thirds, quarters, fifths and tenths $1 / 21 / 31 / 41 / 5$ 1/10 <br> Recall and use division facts for the 3,4 and $8 \times$ tables, use halving to derive division by 2,4 and 8 <br> Calculate and write mathematical statements for division using related x tables facts, including for $\mathrm{TU} \div$ U mentally <br> Develop efficient mental methods using facts e.g $6 \div 3$ $=2$ and $2=6 \div 3$ to derive related facts $60 \div 3=20$ and $20=60 \div 3$ <br> Divide TU and HTU numbers by $U$ or 10 , understand the effect of $\div 10$ $\text { e.g. } 700 \div 10,46 \div 2,33 \div 3$ <br> Identify remainders when dividing by 2,5 or 10 | Solve problems in context deciding which method to use and why, including <br> - missing number problems <br> - measuring and money context <br> - correspondence problems in which $m$ objects are connected to $n$ objects eg 12 sweets shared equally between 4 children; 40 cakes shared equally between 8 . <br> Use practical methods and jottings, including remainders <br> Sharing: If $£ 20$ is shared between 4 people, how much would each get? <br> or <br> Grouping: There are 20 children and they sit in tables of 4 . How many tables will we need? <br> Repeated subtraction using a number line $24 \div 4=6$ <br> Develop reliable written methods for $\mathrm{TU} \div \mathrm{U}$ progressing to efficient written short division e.g. 63 $\div 3$ | Divide <br> Share <br> Group <br> Remainder <br> Left over <br> Repeated subtraction |  |


|  |  | $3 \longdiv { 2 1 }$ |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Year 4 | Recall and practise division facts for x tables up to $12 \times$ 12 use place value, known and derived facts to aid fluency. <br> Practise and extend mental methods to three-digit numbers to derive facts e.g. $200 \times 3=600$ into $600 \div$ $3=200$ <br> Divide numbers to 1000 by 10 and then 100 (wholenumber answers), e.g. $120 \div 10,600 \div 100,850 \div 10$ <br> Divide two-digit numbers by 4 or 8 , e.g. $296 \div 8$ <br> Identify remainders when dividing by 1 to 12 <br> Find halves of multiples of 10 , even numbers to 200 and three-digit multiples of 10 to 500 e.g. $760 \div 2$ <br> Find unit and simple non-unit fractions of numbers and quantities eg $3 / 8$ of 24 | Develop fluency in efficient written method of short division with exact answers when dividing by a one-digit number. (eg. $11 \div 2$ expressed as $51 / 2$ or 5.5 not 5 remainder 1 ) <br> Solve two step problems with increasingly harder numbers including correspondence questions such as three cakes shared equally between 10 children. <br> Introduce dividing using subtracting 10 lots of divisor and asking 'how many more left over?' $52 \div 4$ <br> I know that 10 lots of 4 are $\mathbf{4 0}$, there will be $\mathbf{1 2}$ left over which is another 3 lots of 4 so there are $\mathbf{1 3}$ lots of $\mathbf{4}$ in 52 <br> Recorded informally <br> $81 \div 3$ <br> $3 \longdiv { 8 1 }$ <br> $3 \longdiv { 3 0 + 3 0 + 2 1 }$ | Inverse <br> Divide <br> 10 lots |  |
| Year 5 | Divide numbers mentally using known facts for all multiplication tables to $12 \times 12$ <br> Divide whole numbers and decimals by 10,100 or 1000, e.g. $25 \div 10,673 \div 100,74 \div 100$ <br> Find the whole number remainder after dividing a | Practise and extend efficient written methods applying $X$ tables and related facts confidently for larger calculations <br> Interpret answers by expressing in different ways including with remainders, as fractions, as decimals or by rounding eg. $98 \div 4=24 \mathrm{r} 2=24$ $1 / 2=24.5 \approx 25$ | Decimal point |  |




